

# **AGMA** Technical Paper

# Defining The Tooth Flank Temperature in High Speed Gears

John Amendola and John Amendola III, Artec Machine Systems Robert Errichello, GEARTECH

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[The statements and opinions contained herein are those of the author and should not be construed as an official action or opinion of the American Gear Manufacturers Association.]

# Abstract

In defining total contact temperature the tooth flank temperature is as significant in the calculation as the flash temperature. Work done in preparation to writing 19FTM24 revealed that the applied  $k_{sump}$  multiplier value for applications with spray lubrication should be greater than > 1.2 for high speed gears when calculating a tooth flank temperature. This procedure is described in AGMA 925-A03, Section 6.3.1 equation (91). In order to have a comparable risk assessment with MAAG "63", MAAG "83" and ANSI/AGMA 6011-J14, Annex B, it was determined a value of  $k_{sump} = 1.42$  is necessary otherwise AGMA 925 is not reliable for assessing scuffing risk for high speed gears. However, further investigation suggests variable values of  $k_{sump}$  are required to accurately calculate the tooth flank temperature relative to pitch line velocity. Referenced documents, with supporting comprehensive test data and testing results of high speed gears both indicate a higher range of tooth body temperatures increasing with pitch line velocity. This is corroborated by field experience conducted by Artec Machine Systems. This paper improves the methodology for determining the tooth flank temperature. Two methods are proposed for assessing scuffing risk when applying AGMA 925 for high speed gears. Both methods provide similar results.

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# **Defining The Tooth Flank Temperature in High Speed Gears**

# John Amendola and John Amendola III

Artec Machine Systems

## **Robert Errichello**

GEARTECH

## 1 Introduction

When calculating the total contact temperature the tooth flank temperature is as significant as the flash temperature.

$$\theta_{\text{total contact max}} = \theta_{\text{flash max}} + \theta_{\text{tooth flank temp}}$$
(1)

Scuffing is likely to occur when

 $\theta_{\text{total contact max}} \geq \theta_S$ 

Where:

 $\theta_s$  = the mean scuffing temperature

Currently in AGMA 925-A03, equation (91) includes the oil supply or sump temperature  $\theta_{oil}$ . If spray lubrication is employed, the oil supply temperature is multiplied by 1.2. This refers to the oil supply temperature as the oil inlet temperature to the gear unit.

Clause 6.3 of AGMA 925-A03 states: *"the tooth temperature may be significantly higher than the temperature of the oil supplied to the gear mesh."* This statement cites a publication by Errichello [1], which refers to the gear tooth flank temperature measured by Akazawa [2].

The question is whether a multiplier of 1.2. is sufficient for all speeds of gears utilizing a spray lubrication system varying from relatively slow speed gears with pitch line velocities (plv) < 35 m/s to high speed gears with plv up to 200 m/s.

The field referenced examples used in 19FTM24 [3] are high speed units in operation in the field. See table 1 for summary of application data. These units provide data for assessing scuffing risk according to three methods; MAAG "63", ANSI/AGMA 6011-J14, Annex B and AGMA 925-A03. Two additional referenced documents, by Akazawa [2] and Martinaglia [4] report on testing results of single helical high speed gears that both confirm the gear tooth flank temperatures increase with plv. These results are compared in Table 4 The steeper slope with increasing plv's from Martinaglia's paper [4] could be caused by gears with lower helix angles and wider face width's having higher axial pumping velocities.

To fully understand the contents of this paper the reader is encouraged to refer to the earlier paper 19FTM24. The reference data in this paper is based on extensive experimental data listed in the bibliography.

The objective of this paper is to improve the methodology for determining the tooth flank temperature. Two methods are proposed for assessing scuffing risk when applying AGMA 925 for high speed gears. Both methods provide similar results.

# 2 A Brief Review of Scuffing

When gears are subject to highly loaded conditions and high sliding velocities, the lubricant film may not adequately separate the surfaces. This can cause localized damage to the surface of the gear tooth flanks called 'scuffing'. Scuffing exhibits itself as a dull matte or rough finish usually at the extreme end regions of the contact path or near the points of a single pair of teeth contact resulting in severe adhesive wear.

(2)

- Scuffing is not a fatigue phenomenon and it can occur instantaneously. The risk of scuffing damage
  varies with the material of the gear, the lubricant being used, the viscosity of the lubricant, the surface
  roughness of the tooth flanks, the sliding velocity of the mating gear teeth under load and the
  geometry of the gear teeth.
- Any changes in any of these factors can alter scuffing risk.

#### 3 Calculation methods for determining tooth flank temperature $\theta_{M}$

The calculation methods for  $\theta_M$  given herein, were each derived from the DIN 3990-4 Standard.

The original calculation for determining  $\theta_M$ , given in DIN 3990-4, is based on test stand gearboxes in the FZG laboratory. Plv was reportedly limited to 15 m/s.

#### 3.1 DIN 3990-4 (flash temp. method)

$$\theta_{\rm M} = X_{\rm S} \left( \theta_{\rm oil} + 0.47 \ \theta_{\rm flmax} \right) \tag{3}$$

where:

 $X_s = k_{sump}$  is 1.2 for spray bar lubrication

The equation can be rewritten:

$\theta_{\rm M} = k_{\rm sump} \; (\theta_{\rm oil} + 0.47 \; \theta_{\rm flmax})$	(4)
<b>Note:</b> $\theta_{Bmax} = \theta_M + \theta_{flmax}$	

#### 3.2 ISO 6336-20

ISO adopted a modified version of the DIN formula as follows:

$$\Theta_{\rm M} = \Theta_{\rm oil} + 0.47 \, (X_{\rm S}) \, (X_{\rm mp}) \, (\Theta_{\rm flm}) \tag{5}$$

where:

 $\theta_M$  is Tooth flank temperature

 $\theta_{oil}$  is Oil inlet temperature

 $X_{\rm S}$  is 1.2 for spray lubrication

 $X_{mp}$  is 1 for single mesh gears

 $\theta_{flm}$  is the average flash temperature (SAP – EAP)

Note: SAP = start of active profile; EAP = end of active profile.

This resulted in:

$$\Theta_{\rm M} = \Theta_{\rm oil} + 0.564 \ (\Theta_{\rm flm}) \tag{6}$$

#### 3.3 AGMA 925-A03 [5]

AGMA 925-A03 had applied the DIN 3990-4 formula with a single value for  $k_{sump}$  and multiplied through the equation, which fixed the multiplier variable for  $\theta_{fm}$  to 0.56

$$\theta_{\rm M} = k_{\rm sump} \left( \theta_{\rm oil} \right) + 0.56 \, \theta_{\rm flmax} \tag{7}$$

where:

 $\theta_{fl_{max}}$  is maximum flash temperature along (SAP – EAP)

k<sub>sump</sub> is 1.2 for spray lubrication

This resulted in:

 $\theta_{M} = 1.2(\theta_{oil}) + 0.56 \theta_{flmax}$ 

The equation should have been rewritten:

 $\theta_{\rm M} = k_{\rm sump} \left( \theta_{\rm oil} + 0.47 \; \theta_{\rm fimax} \right) \tag{9}$ 

However, if  $k_{sump}$  is to be treated as a variable then the original DIN formula needs to be applied as shown in equation (9). The authors consider Equation (91) in AGMA 925-A03 is only valid when  $k_{sump}$  = 1.2.

#### 4 Establishing the oil inlet temperature θ<sub>oil</sub>

#### 4.1 Establishing the oil inlet temperature using a variable multiplying factor k<sub>sump</sub>

The  $k_{sump} = 1.2$  was reportedly developed using small test stand gears limited to 15 m/s plv in a laboratory environment. For an inlet temperature of  $\theta_{oil} = 49$  °C the multiplying factor of 1.2 results in a supply temperature of  $\theta_{oil} = 59$  °C delivered to the tooth flank. This is considerably less when using MAAG and AGMA 6011 Annex B which fixed the tooth flank temperature at 100 °C. To equate the use of the DIN 3990/AGMA 925 equation, a  $k_{sump} > 1.2$  is required in order to raise the supply temperature to 70 °C. This would generally result in a tooth flank temperature of 100 °C which is consistent with MAAG & ANSI/AGMA 6011 Annex B. Assessing scuffing risk for high speed gears using AGMA 925 with the current 1.2 multiplier would result in a false assessment of safety.

AGMA 925-A03 applies the  $k_{sump}$  factor as a multiplier of the oil inlet temperature  $\theta_{oil}$ , whereas ISO 6336-20 does not.

For pitch line velocities less than 35 m/s the ISO approach seems logical as it is expected the gear elements would be supported with antifriction bearings. However, above 35 m/s most gear units are installed with hydrodynamic bearings which are lower in efficiency and contribute heat to the housing structure and in turn add heat to the oil supply temperature  $\theta_{oil}$ . Therefore, for high speed gears this document uses the original DIN 3990-4 equation.

This document includes data from the field inspections [3] shown in Table 1, and instrumented test gears [2, 4] shown in Tables 4a and 4c.

#### 4.2 Referenced Gears

#### Test Gear [2]

25000 HP speed increaser 7656/18689 rpm Single Helical

*a*: 506.25 mm *b*: 250 mm *v*': 200 m/s

Temperature measurements using imbedded thermocouples in the pinion/gear teeth.

#### Test Gears [4]

Various 21-62 MW speed reducers/increasers	Single Helical
--	----------------

21 MW 3000/7625 varying speeds Single Helical

*a*: 360 mm *b*: 300 mm *v*': 137 m/s – 148 m/s

Temperature measurements using imbedded thermocouples in the pinion

	62 MW	2988/1000 Single Heli	cal
--	-------	-----------------------	-----

*a*: 1750 mm *b*: 802 mm *v*': 137 m/s

Temperature measurements using imbedded thermocouples in the pinion

All gearsets described in this document are of a single or double helical configuration. Spur gears have not been considered.

(8)

#### Field References [3]

Table 1 is a summary of the inspected gear units in field operation with applied data in assessing scuffing risk.

Ref.	Est hrs	helical	type	a (mm)	<i>b</i> (mm)	<i>v'</i> (m/s)	kW	input (rpm)	output (rpm)	module	Z1/Z2	b/d	β
1	>200k	single	increaser	400	236	142.0	10,515	4,831	11,406	6.5	36/85	1.07	10°
2	120	double	decreaser	360	228	112.0	7,915	8476	4573	5.5	41/76	0.90	26°30'
3	175k	single	increaser	250	120	118.3	4,096	6,840	13,310	4.5	37/72	0.71	10°
4	160k	single	decreaser	580	502	109.3	37,286	4,670	2,927	6.25	47/75	1.12	10°
5	180k	single	increaser	520	352	142.1	22,670	3,428	10,933	6.5	37/118	1.42	11°
6	200k	single	increaser	780	255	123.0	13,500	1,775	9,951	7.0	33/185	1.08	10°30'
7	150k	double	increaser	610	370	92.7	16,406	1,800	7,636	6.0	33/140	1.59	31°20'
8	150k	single	increaser	509	323	72.6	12,304	1,800	5,606	6.9	35/109	1.31	10°
9	120k	single	increaser	600	270	88.1	9,694	1,800	7,582	5.9	37/163	1.22	10°
10	200k	double	increaser	270	140	43.7	570	1,782	11,616	3.4166	19/124	1.95	24°
11	120K	single	increaser	500	347	175.3	31,905	4,786	11,100	6.3	46/107	1.15	13°30'

Table 1 – Data table, Field Referenced Inputs

Note:  $\theta_{Bmax} = \theta_M + \theta_{flm}$  where  $\theta_{Bmax}$  is maximum contact temperature.

Table 2 lists preset input parameters for the calculations listed in Table 3.

#### Table 2 – AGMA-925-A03 Preset Input Parameters

Oil Type:	Mineral VG-32
FZG Load stage:	fail 6
Scuffing temperature <b>θ</b> s:	177°C
Oil Temperature:	49°C
surface roughness R <sub>a</sub> :	0.50 µm
LSF (load sharing factor):	smooth meshing/with profile modification
Thermal Coefficient of Contact for Steel B <sub>m</sub> :	13.796 N/[mm s0.5 K]

Table	3
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v′range (m/s)	Case	v′ (m/s)	Scuffing risk	Risk	Tooth Temp (°C) θ <sub>M</sub>	Flash Temp (°C)	Contact Temp (°C)		
k <sub>sump</sub> = 1.35 (DIN)*									
35≥50	10	43.7	5.0%	low	75.3	14.5	91.5		
	k <sub>sump</sub> = 1.38 (DIN)*								
50≥90	8 9	72.6 88.1	5.0% 5.0%	low low	89.1 80.3	33.2 19.6	122.3 99.9		
	k <sub>sump</sub> = 1.40 (DIN)*								
90≥110	4	109.3	5.0%	low	90.4	33.1	123.5		
	7	92.7	5.0%		92.9	37.0	129.9		
110≥120	2 3	112.0 118.3	5.1% 5.0%	moderate	96.8 75.6	37.8 6.7	134.6 82.3		
			$k_{sump} = 1.5$	5 (DIN)*					
120≥130	6	123.0	5.0%	low	92.0	22.0	108.1		
			k <sub>sump</sub> = 1.7	5 (DIN)*					
130≥145	1	142.0	5.0%	low	99.2	16.3	115.5		
	5	142.1	5.0%	low	108.2	27.4	132.6		
170			K <sub>sump</sub> = 1.9	5 (DIN)*					
>170	11	175.3	23.7%	moderate	120.0	26.3	158.3		

\* k<sub>sump</sub> calculated per DIN 3990-4 (flash temp. method) per equation (4)

The values of  $\theta_M$  in Table 3 differ from those given in 19FTM24 [3] for the same field references. The values in 19FTM24 [3] applied a fixed value for  $k_{sump} = 1.2$  using a very high oil supply temperature of 70°C, whereas equation (10) in this document employs a variable value for  $k_{sump}$  with normal oil inlet temperature of 49°C.

Table 4a					
v′ (m/s)	θм (°С)				
100	80				
110	85				
120	90				
130	95				
140	100				
150	105				
160	110				
170	115				
180	120				
190	125				
200	130				
4a Note	e:				
Measur	ed test				
gear values [2]					

Table 4b						
v′ (m/s)	өм (°С)					
100	70					
115	85					
134	101					
145	111					
151	117					
160	125					
<b>4b Note:</b> Measured test						
gear values [4]						

\_ . . . ..

DIN v' θм (X<sub>S</sub>) (°C) (m/s) ksump 43.7 75.3 1.35 72.6 1.38 89.1 88.1 1.38 80.3 109.3 1.40 90.4 92.7 1.40 92.9

1.45

1.45

1.55

1.75

1.75

1.95

96.8

75.6

92.0

99.2

108.2

120.0

Table 4c

Ex.

Ref.

10

8

9

4

7

2

3

6

1

5

11

112.0

118.3

123.0

142.0

142.1

175.3

4c Note: field (calculated values) [3]

The actual measured tooth flank temperatures listed in Table 4a and 4b are taken from test data [2,4]. They indicate  $k_{sump}$  increases with increasing plv. The table 4a and 4b values were compared to the field references of similar pitch line velocities and a value for  $k_{sump}$  was applied to the examples in Table 3 to match the measured values in test data [2,4]. The calculated tooth flank temperatures  $\theta_M$  listed in Table 3 are summarized in Table 4c for comparison with full size test gears [2,4]. The comparison shows comparable  $\theta_M$  values. They are grouped in stepped values of  $k_{sump}$  as follows:

k<sub>sump</sub> = 1.0 for splash lube

- = 1.2 for spray lube with gears utilizing anti-friction bearings
- = 1.35 for plv 35 50 m/s
- = 1.38 for plv 50 90 m/s
- = 1.40 for plv 90 110 m/s
- = 1.45 for plv 110 120 m/s
- = 1.55 for plv 120 130 m/s
- = 1.75 for plv 130 145 m/s

Values above 145 m/s should be based on field experience or applying the curve in Figure 1.

A plot for k<sub>sump</sub> versus plv can be applied as an option to a table as shown in Figure 1.

This curve is based on the references listed in Table 4c resulting in the following equation:

 $k_{sump} = 0.00005(v')^2 - 0.0057(v') + 1.504$ 

(10)



#### 4.3 Verification of the calculated values to measured test values

For further verification, measured values for pinion tooth flank temperatures from Tables 4a and 4b and the calculated values from Table 3 are plotted against plv in Figure 2. By plotting all values the following averaging relationship can be defined as follows:

$$\theta_{\rm M} = 0.0021 (v')^2 - 0.1188 (v') + 77.088$$

(11)



Figure 2

Similar adjustment can be applied to C<sub>w</sub> in the formulation used in Annex B of ANSI/AGMA 6011-J14 [7].

Table 5 compares the results from equation (11) for  $\theta_M$  with those calculated with  $k_{sump}$  listed in table 4c. These values for  $\theta_M$  are reasonably consistent. References (2, 6, 11) are all references where tooth surface distress had been evident. Corrective action was required to arrest the problem.

Field Ex. Ref.	<i>v"</i> (m/s)	DIN(Xs) for k <sub>sump</sub>	Equation (10) θ <sub>M</sub> (°C)	Equation (11) θ <sub>M</sub> (°C)
10	43.7	1.35	75.3	75.9
8	72.6	1.38	89.1	79.5
9	88.1	1.38	80.3	82.9
4	109.3	1.40	90.4	89.2
7	92.7	1.40	92.9	84.1
<mark>2</mark>	112.0	1.45	97.1	90.1
3	118.3	1.45	75.6	92.4
<mark>6</mark>	123.0	1.55	92.0	94.2
1	142.0	1.75	99.2	102.6
5	142.1	1.75	108.2	102.6
<mark>11</mark>	175.3	1.95	120.0	120.8

Table 5

Note ISO 6336-20 equation (5) above differs significantly from DIN 3990-4 equation (3) because the oil supply temperature  $\theta_{oil}$  is not adjusted by X<sub>S</sub> values as proposed in Table 3. Therefore, a different set of X<sub>S</sub> values described by plv levels will be required for application with equation (4). However, in using ISO 6336-20, equation (11) is applicable.

Using ISO 6336-20 equation (5) the values for  $X_S$  are adjusted for use of the equation.

Field Ex. Ref.	v <i>"</i> (m/s)	ISO 6336- 20 X <sub>S</sub>	Equation (10) θ <sub>M</sub> (°C)	Equation (11) θ <sub>M</sub> (°C)
10	43.7	3.88	75.3	75.9
8	72.6	2.58	89.1	79.5
9	88.1	3.41	80.3	82.9
7	92.7	2.54	92.7	84.1
4	109.3	2.66	90.4	89.2
2	112	2.68	97.1	90.1
3	118.3	8.48	75.6	92.4
6	123	4.15	92	94.2
1	142	6.53	99.2	102.6
5	142.1	4.61	108.2	102.6
11	175.3	10.42	120	120.8

Table 5a

Equation (5) from ISO 6336-20 produces a scattering of values for  $X_s$  versus plv levels which cannot result in a curve similar to equation (10). Equation (5) from ISO 6336-20 produces a scattering of values for  $X_s$  versus plv levels which cannot result in a curve similar to equation (10).

### 5 Determining value for $\theta_M$

Equations (10) & (11) are both suitable equations to calculate a value for  $\theta_M$  in AGMA 925.

#### 5.1 Method A

The value for  $k_{sump}$  obtained from equation (10) can be applied in equation (9) to obtain a value for  $\theta_{M}$ .

#### 5.2 Method B

Equation (11) directly calculates  $\theta_M$ . It should be noted when using this method the applied data is based on oil supply temperatures over a limited range from  $40^{\circ}C - 70^{\circ}C$ . Most of the Table 3 applications had a supply oil temperature of  $43^{\circ}C - 55^{\circ}C$ . Therefore, reliability of Method B where a lube oil supply temperature is beyond this range may be somewhat compromised. Furthermore, Method B should only be applied with gears utilizing hydrodynamic bearings. The Table 3 gears employed sump pans to prevent windage affecting the outflow of oil through the discharge port(s). Additional shrouding of the gear rotors that can mitigate tooth flank temperatures is not considered here. Tooth flank temperatures with shrouded gears should be based on field individual field experience.

### 6 Factors that influence tooth flank temperature

In all of the high speed examples discussed, the gears employed hydrodynamic bearings. These bearings are less efficient than roller bearings used in FZG testing. The heat generated in hydrodynamic bearings is significant. Martinaglia [4] reported measured values of approximately 30% of the gear power losses was in the bearings. Temperature range as measured in journal bearing RTD's are typically in the range of 70° - 90°C. Consequently, the bearing journals absorb heat. The question is, does the energy absorbed by the journals, particularly higher in the pinion, contribute to the tooth flank temperature. During the early nineties MAAG developed special turbo gears whereby the gears operated in a near vacuum. Tests were conducted on a full sized 65 MW turbo gear [8]. Temperature measurements in the gearing were recorded for both conventional and in near vacuum modes. The temperature difference was reportedly approximately 40 °C lower in the vacuum mode.

It can be stated the requirements to increase the  $k_{sump}$  factor in high speed gears is primarily the result of the operating windage. Martinaglia had suggested, "in especially fast running gears, the frictional heat developed in the bearings also passes via the shaft stub into the pinion body proper". Furthermore the MAAG HET test results have shown this to be a significant influence. More recently there have been some high capacity gears designed with a shroud that closely surrounds the gear set. The shroud is externally cooled thereby minimizing the oil flow required in the gear mesh for lubricating purposes only. This in turn reduces the pumping losses in the mesh resulting in an increase in operating efficiency. This also mitigates the adjustment in the lead modification to compensate for thermal deformation.

There are some variable factors that result in minor differences in the tooth flank temperatures plotted in Figure 2. Length of the tooth face width, size of the module, helix angle of the gear and internal housing dimensions can influence the windage behavior. Test gear [4] temperature plots are steeper than test gear [2] temperature plots most likely due to lower helix angles. These differences have a minor influence on the variations in tooth flank temperatures. There are infinite combinations of these parameters making it difficult to assess their influence on the values of  $\theta_M$ . This is shown by the varied plots of the field references where these parameters are all from different gearboxes. Nevertheless, plv has the single largest influence on operating tooth flank temperatures.

However, where windage is low, the number for  $k_{sump}$  is lower. The gear references [2], [4] and field examples [3] indicate there are small changes for the  $k_{sump}$  number. For plv < 35 m/s,  $k_{sump}$  may not be less than 1.35. It is not in the scope of this document to evaluate values for  $k_{sump}$  where plv < 35 m/s. The AGMA threshold for high speed gears applies for pitch line velocity above 35 m/s. The determination of  $k_{sump}$  requires additional research where operating plv's are between 15 – 35 m/s. Nevertheless, it seems improbable there could be a significant change between  $k_{sump}$  =1.2 up to 15 m/s and  $k_{sump}$  = 1.35 up to 35 m/s.

References [2], [4] and the Table 3 applications were equipped with hydrodynamic bearings whereas the FZG test gears employed antifriction bearings. Power losses in gears with hydrodynamic bearings may influence the gear tooth flank temperatures from heat absorbed by the bearing journals and transmitted into the main body of the gear elements. Therefore, suggested values for k<sub>sump</sub> are:

 $k_{sump}$  = 1.35 for gears where plv's are < 35 m/s when equipped with hydrodynamic bearings

 $k_{sump}$  = 1.20 for gears where plv's are < 35 m/s when equipped with antifriction bearings.

**Note:** ANSI/AGMA 6011-J14 references high speed gears with hydrodynamic bearings. Roller bearings are occasionally used in special cases.

#### 6.1 Conclusions

- 1. AGMA 925-A03 equation (91) should be limited to plv < 35 m/s for gears equipped with anti-friction bearings.
- 2. Method A for calculating  $k_{sump}$  in equation (10) should be used to calculate  $\theta_M$  in equation (9) and added to AGMA 925.
- 3. Method B for calculating  $\theta_M$  using equation (11) should be added to AGMA 925.
- 4. The fixed k<sub>sump</sub> value in AGMA 925-A03 is not suitable for assessing scuffing risk for high speed gears and will lead to an erroneous value for safe scuffing assessment.

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